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DE  
INNUMERIS CURVIS ALGEBRAICIS,  
QUARUM LONGITUDINEM PER ARCUS  
ELLIPTICOS METIRI LICET.

Auctore  
*L. E U L E R O.*

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*Convent. exhib. die 10 Junii 1776.*

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§. I.

**P**ro Ellipsi, cuius singuli arcus nobis mensuram curvarum quae-sitarum suppeditare debent, sit abscissa  $= v$ , applicata vero  $= n \sqrt{1 - v^2}$ , unde elementum arcus colligitur  $= \frac{\partial v \sqrt{[1 + (nn-1)v^2]}}{\sqrt{1 - v^2}}$ ; quamobrem sequens nobis propositum sit problema.

P r o b l e m a.

*Pro coordinatis  $x$  et  $y$  ejusmodi functiones algebraicas ipsius  $v$  investigare, ut fiat*

$$\sqrt{(\partial x^2 + \partial y^2)} = \frac{(\partial v \sqrt{[1 + (nn-1)v^2]})}{\sqrt{1 - v^2}}.$$

S o l u t i o.

§. 2. Ut formulae  $\sqrt{(\partial x^2 + \partial y^2)}$  formam praescriptam conciliemus, quoniam denominator  $\sqrt{1 - v^2}$  duos habet factores  $\sqrt{1 + v}$  et  $\sqrt{1 - v}$ , statuamus  $\partial x = \frac{(p+q)\partial v}{\sqrt{2(1+v)}}$ ,  $\partial y = \frac{(p-q)\partial v}{\sqrt{2(1-v)}}$ ,